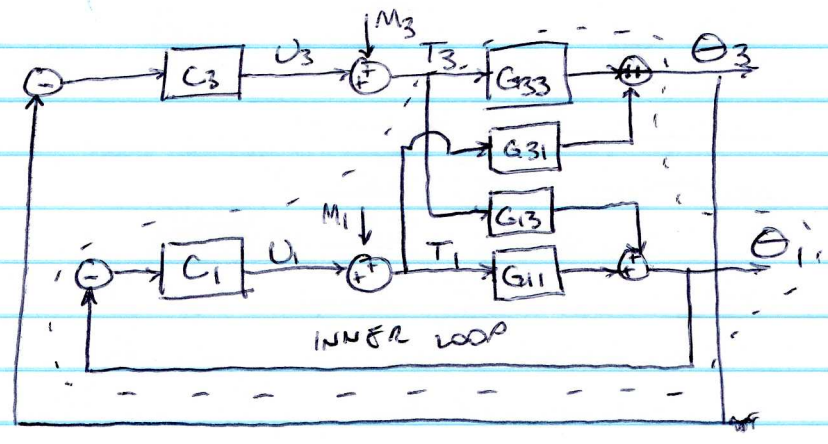


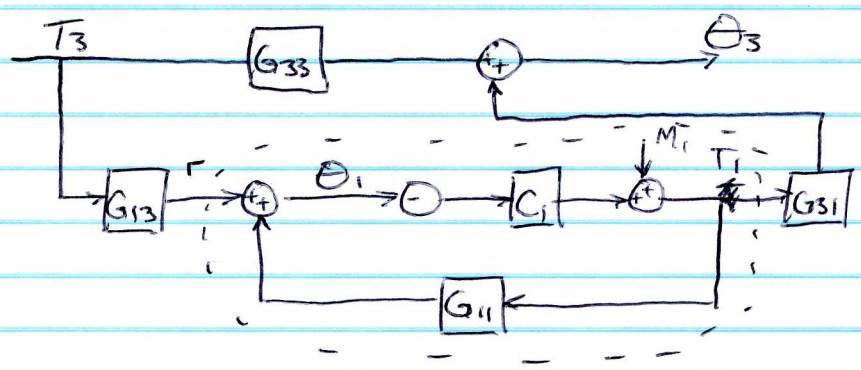
HUBBLE TELESCOPE: 589 km LED; RXN WHEELS & MAGNETO TORQUEERS

4/17/08

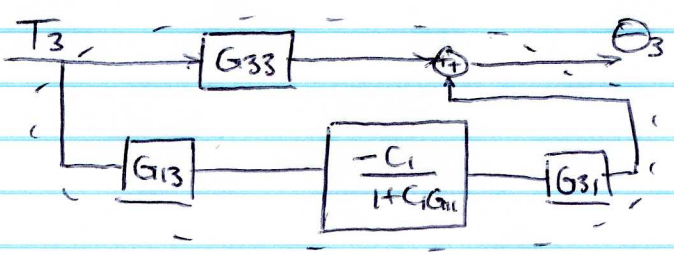
BACK TO TUESDAY'S EXAMPLE



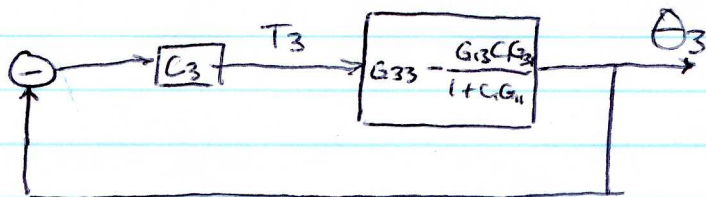
EVERYTHING WITH THE DOTTED LINE BECOMES OUR NEW PLANT; WE GET A TRANSFER FUNC. FROM  $T_3$  TO  $\theta_3$ .



$$\frac{T_1}{r} = \frac{-C_1}{1 + C_1 G_{11}} \quad \text{BECAUSE } T_1 = -C_1(r + G_{11} T_{11})$$



$$\frac{\Theta_3}{T_3} = G_{33} + \frac{G_{13}(-C_1)G_{31}}{1 + C_1 G_{11}}$$



CHAR. EQU FOR THIS GUY IS  $1 + C_3 \left( G_{33} - \frac{G_{13} C_1 G_{31}}{1 + C_1 G_{11}} \right) = 0$

↑ COORDINATE NUMERATOR

$$1 + C_3 \left( \frac{N_{33} + C_1 N}{D_{33} + C_1 N_{11}} \right) = 0 \quad \text{(WE SUBBED } \frac{N}{D} \text{ FOR } G)$$

↑ DENOMINATOR

$$G_{ij} = N_{ij}/D_{ij}$$

$$x = \begin{bmatrix} \Theta_1 \\ \dot{\Theta}_1 \\ \Theta_3 \\ \dot{\Theta}_3 \end{bmatrix}$$

$$\dot{x} = Ax + Bu = (A - BK)x$$

$$u_1 = -k_{p1} \Theta_1 - k_{d1} \dot{\Theta}_1 - k_{p3} \Theta_3 - k_{d3} \dot{\Theta}_3$$

$$= k^T x \rightarrow u = -Kx$$

$$\det(sI - (A - BK)) = 0$$


---